

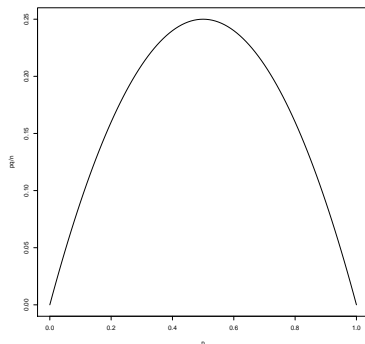
# Sampling

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# Design issues



**Figure :** The variance vs mean relationship for an estimated proportion

Length distributions are basically count data, as are the number of fish at a given age if simple random sampling is used for age readings. In the case of simple random sampling from an entire population of fish, the number of fish in a given age or length cell should follow a binomial distribution.

This implies that the probability of obtaining exactly  $x$  fish in a given cell is given by binomial probabilities:

# Simulating sampling schemes

Want to estimate a proportion  $p$

Sample independently individual fish (in group=1; or not=0): get binomial distribution for  $x$ =number of positives

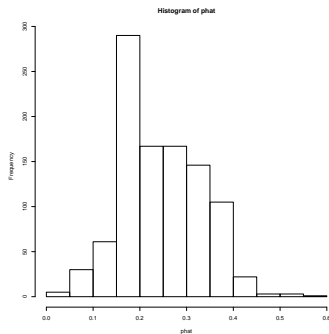
Estimated proportion:  $\hat{p} = x/n$

Known expected value and variance:  
 $E[\hat{p}] = p$ ,  $V[\hat{p}] = np(1 - p)$

**Example:** In R it is very easy to simulate the effects of different sampling schemes and there are several ways to do this. Consider the red/green marble experiment.

R code for the red/green marble experiment

```
n<-25
numred<-10
numgreen<-30
green<-rep("G",numgreen)
```



## Correlation issues

When correlation issues occur the model is usually wrong

Primary issue: Intra-haul correlation, cf Pennington and Volstad

Fish within a station  $s$  are more similar than across stations.

A model of the process needs to include a (random) station effect:

$$y_{sj} = \mu + \alpha_s + \epsilon_{sj}$$

Here,  $y_{sj}$  could be the length of fish  $j$  at station  $s$ .

The resulting correlation between fish at the same station is the **intra-haul** correlation